

PENALTY FOR PRIVATE USE TO AWAY
RECEIPT OF PORT DUE, \$100

James, E. C.
Sergeant, R.H.F.

NAVY DEPARTMENT
U. S. NAVAL AIR STATION
PERMANCE, FLA.
—
OFFICIAL BUSINESS

Aircraft No.....

Date:

TYPICAL WEIGHT SHEET SUMMARY

CATALINA I AIRCRAFT

Carried Forward

LBS LBS.

3. External Bomb Rocks (..... lbs each))	
Number.....	Total.....
4. Guns .303" (..... lbs. each)	
Number.....	Total.....
5. Guns .50" (..... lbs. each)	
Number.....	Total.....

(e) Crew and Baggage

1. Number of persons.....	Total wt:.....
2. Parachutes (20 lbs. each)	Total wt:.....
3. Flying Gear (wt. per person.....)	Total wt:.....
4. Baggage (wt. per person.....)	Total Wt:.....

Note: For rapid calculation, 250 lbs per crew member will include individual weight and flying gear plus parachute plus 40 lbs of baggage.

1112
140
105
280

67

(f) Oil: (8.9 lbs/Imp. Gall. - 7.42 lbs / U.S. gall.)

.....	Imp. Galls. Total.....
.....	U.S. Galls. Total.....

837.

(g) Freight (description of items and weights to be listed)

1.	
2.	
3.	
4.	
5.	

(20)
(foot)TOTAL

20,803.

Maximum all up weight:

34,000

(h) Weight available for fuel, bombs and ammunition:

1.	Bombs Type	Total:
2.	Rounds .303" ammunition	Total:
3.	Rounds .50" ammunition	Total:

Fuel: (100 octane....lbs/Imp. gall. 100....lbs/U.S.gall.)

.....	Imp. Galls. Total.....
.....	U.S. Galls. Total.....

Total Weight for take-off: -

33,830

Tank capacity 735 galls, possibly overload to 760 galls.

Signature.....Captain of Aircraft

R.A.F. Training Office
Pensacola, Florida.
May 23, 1942

1st Lighting Report.

Co - adhoc

AP

HP

(WT)

NRI-O-G-GR5

Co. H/S Co.

N

(PH)

0

0

0

0

0

6

THI

N

(RL)

1000-L1

1000-L1

998.1

1002.2

1005.1

1000.1

1003

1005.2

1006

1006.2

1006.1

998.1

1006.1

1002.2

1005.1

1005.2

1006

1006.1

1005.2

1006

1004

1006

1004

1002

N

J

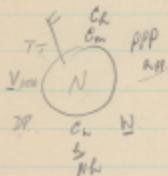
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liver

sea

... C_n C_m ... V h N_g DDFWN PPPTT UCh app



Code	C _n	C _m	C _w
0	○	L	→
1	△	□	→
2	□	W	↑
3	→	6	↓
4	→	W	2
5	---	W	2
6	---	W	2
7	→	W	2
8	→	M	↑
9	→	L	W

Code	'a'
0	↖
1	↗
2	↙
3	↖
4	↗
5	↙
6	↖
7	↗
8	↖
9	↗

Ref

	20°	30°	40°	50°	60°	70°
0	1	1	1	1	1	1
1	2	2	2	2	2	2
2	3	3	4	4	5	5
3	6	6	7	8	8	8
4	9	9	10	11	12	12
5	10	13	14	15	16	17

Temp.

Code	N.
0	No cloudiness
1	○ Fairly clear
2	○ $\frac{1}{10}$ cloudiness
3	○ $\frac{2}{10}$ to $\frac{3}{10}$ cloudiness
4	○ $\frac{4}{10}$ to $\frac{5}{10}$ " "
5	○ $\frac{6}{10}$ to $\frac{8}{10}$ " "
6	○ $\frac{9}{10}$ to $\frac{10}{10}$ " "
7	○ $\frac{1}{10}$ to $\frac{1}{2}$ overcast completely clouds left from rain
8	○ $\frac{2}{10}$ to $\frac{1}{2}$ cloudiness
9	○ $\frac{2}{10}$ to $\frac{1}{2}$ by fog or dust storm

W (Rin)

0	○ overcast sky	8	△ Showers
1	○ Variable sky	9	TS Thunderstorms
2	○ Mainly overcast		
3	○ or △ sand or dust storm		
4	≡ Fog		
5	• drizzle		
6	• Rain		
7	* Flat or snow		

Catalina I. Two Pratt & Whitney ^{two} 1250 HP. 14 cyl. in two banks of
To take off full load ~~at~~ ^{with} Bendix ^{inertia} starters, carburetors,
04 P. 48" 2700 RPM - 2750 RPM. Use for climb.

Never use more power than necessary for safe flight.
P. & Whit. engine flies best before major overhaul.

As soon as heavy water starts back to

(2) M.I. 35" - 2350 RPM [2400 - 2650 RPM]

Vibration range, do not use
if possible

After 200/500' altitude, depending on surrounding hills etc.
does back to

(3) M.I. 30" - 2000/2150 RPM. may be used for any length of
period

(4) Full load climbing 28" - 1900 RPM (100 K T.A.S.)

Light load 25" - 1600 RPM

Tail consumption - 60 gals per hour

Power output roughly the multiplication of horse RPM
Cylinder Head Temp.

Max. for continuous operation should not exceed 230°C

Desirable for continuous automobile lean should not exceed 205°C

Oil pressure Max 105 lbs min. 80 lbs

Then at closing 65 lbs

12	263	94.0	74 3.9	8				10.50	130
10			32.6	15				16.5	73
18								00	6
22									8
28									

530

Extra fuel tank fixed as near CG as possible
 & special pump to pump gas to wing tanks.

Braking gas - tyres filled with H₂O to make it
 easier for them to sink below water when breaking.

$$1 \text{ Imp. gallon} = \frac{6}{5} \text{ US. gallons}$$

$$1 \text{ Imp. gallon of oil} = 9 \text{ lbs per gallon}$$

$$1 \text{ gallon of fuel} = 7 \text{ lbs per gallon}$$

$$1 \text{ gallon of water} = 10 \text{ lbs.}$$

Fuel tanks in rear gallery of wing

Each top tank contains 735 Imp. gallons.

Tank in hull to hold 300 gallons

Each man, luggage + flight gear: 250 lbs approx.

Approx. More ~~100~~ lbs ready for flight less live bombs.

1 fuel.

If flying with max load, better to have nose slightly heavy.

@ 3300 lbs load stalling speed: 75 K.

Gear load should seldom be more than 5% one way or other.

Mixture Controls Catalina I - Bendix injection Carburetor

Operation is to full rich & automatic rich; Auto. Lean

Idle cut off

Fall Rich. Auto Rich Auto. Lean Idle cut off.

Used for
prolonged
economy
Power.

3. In case of
failure to
automate
carburetor
3. Take off.
3. Lean flight
3. Flying stationary
to fly rich
and then off
shutting

Can be used
under all conditions
except best
over 850 ft.
less than 250 ft.

Used for taking
provided best less
than 280 x 1014 less
than 3250 ft.
ylinder head temp.
less at reduced

205°C

Should not be
used early.

When engine stopping
engine & when
engine stopped.

E.C.Jones
R.A.F.

THEORY OF BOMBING

1. THE THEORY OF A FALLING BOMB

In studying the theory of bombing we discover firstly what would happen to a bomb that is unaffected by air resistance, and secondly what effects air resistance has on a real bomb. With the first set of information as a base and the second set applicable to any type of bomb, a sight can be constructed for any set conditions.

2. THE UNRESISTED FALL OF THE BOMB

This simplified treatment of the problem was usually referred to as the "Vacuum Fall Theory", as it could only be in the entire absence of air that a real bomb would fall in the manner to be discussed.

When, however, the theory of aiming comes to be considered it is necessary to take account of the wind, and it is difficult to think of a wind in a vacuum. Again, it will be found convenient to study the actual motion of a real bomb by comparing its behaviour during fall with that of an unresisted one's fall beside it.

It is found convenient, therefore, to discard the idea of the vacuum and substitute for it the motion through air of an "ideal bomb".

This "ideal bomb" must be presumed to be perfectly smooth, perfectly streamlined and incapable of setting up pressure waves as it moves through the air, thus encountering no real resistance. It need hardly be remarked that such an ideal bomb could not be manufactured, but for the successful understanding of the above theory, it must be imagined.

3. RELATIONSHIP OF BOMB, AIRCRAFT AND GROUND

The fall of a bomb, either real or ideal, must always be considered relative to the aircraft and not relative to the ground.

Wind must be visualized as a column of air moving relative to the ground. This column of air has the aircraft and bomb moving in it.

When bomb sighting in a wind is considered, the problem consists of finding the point in this column of air, moving over the ground, at which to release the bomb so that it will hit the target.

4. THE TRAJECTORY OF AN IDEAL BOMB

When an ideal bomb is released from an aircraft there are two factors affecting its flight to earth:

(i) Gravity: Starting at zero and giving it an acceleration downwards at 32 ft/sec² approximately.

(ii) Initial Imparted by the aircraft in the direction of its Velocity: flight through the air.

As this bomb is not affected by air resistance, it will maintain this velocity until the moment of impact with the ground. Assuming the aircraft maintains its own velocity and direction the bomb will be vertically beneath it at any moment of its flight.

Para. 4 (contd.)

If the time of fall is known then the distance forward through the air that the bomb fell can be ascertained by multiplying the time of fall "T" seconds by the air speed of the aircraft " V^m ft/sec., i.e. $V \times T$ ft. The time of fall of an ideal bomb is found by the formula for constant acceleration.

Where s = Distance; a = Acceleration; u = Initial Speed,

and t = time;

$$s = ut + \frac{1}{2} a t^2$$

To calculate the time in seconds for an ideal bomb to fall through H feet; $H = ut + \frac{1}{2} g T^2$. But the velocity downwards is zero at the moment of release, so

$$H = \frac{1}{2} a T^2 = \frac{1}{2} g T^2 \text{ where } g = 32 \text{ ft/sec}^2$$

$$H = 16 T^2$$

$$T^2 = \frac{H}{16}$$

$$\therefore T = \frac{H}{\sqrt{16}}$$

$$\therefore T = \frac{1}{4}\sqrt{H}$$

Therefore the distance an ideal bomb moves forward through the air after release is $\frac{1}{4}\sqrt{H}$ secs \times airspeed in ft/sec.

Air speed will now be referred to as " V^m " ft/sec.

Date: 100 m.p.h. = 147 ft/sec approximately.

Conversion factor $\frac{22}{15}$ for m.p.h. to ft/sec.

The trajectory of an ideal bomb is shown in Fig. I (see Page 3) by plotting H ft. against $\frac{1}{4}\sqrt{H} \times V^m$ ft. at varying heights.

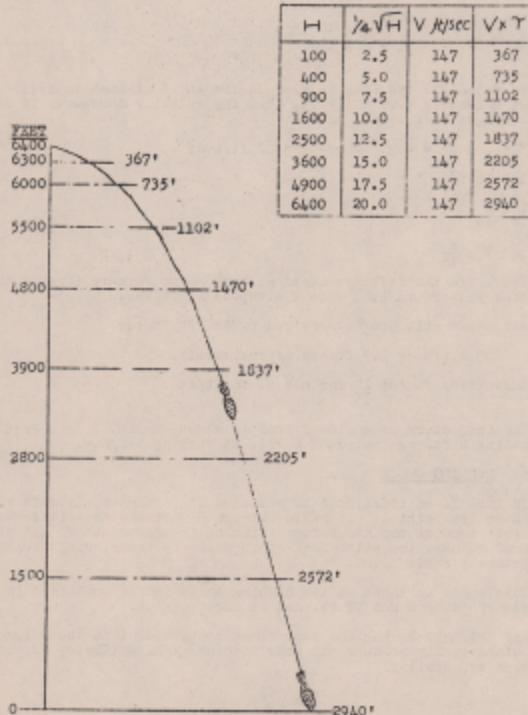
5. BOMBING ANGLE

In fig. I, an ideal bomb is released at 'O' from an aircraft vertically over the point A. It falls through H feet and travels forward $V \times T$ feet through the air before striking the ground at M. At the moment of release the point M is at an angle to the aircraft from the vertical, angle A.O.M.

This angle is known as the Bombing Angle and is contained in a triangle of sides H and VT ft. set at right angles.

Any triangle having the same sides proportional to those lengths will automatically produce the same bombing angle θ (Theta) as the triangles are similar.

TRAJECTORY OF AN IDEAL BOMB.



AN IDEAL BOMB RELEASED FROM AN AIRCRAFT AT
6,400 ft., TRAVELING AT AIR SPEED OF 400 M.P.H.

F.I.

BOMBING ANGLE - NO WIND

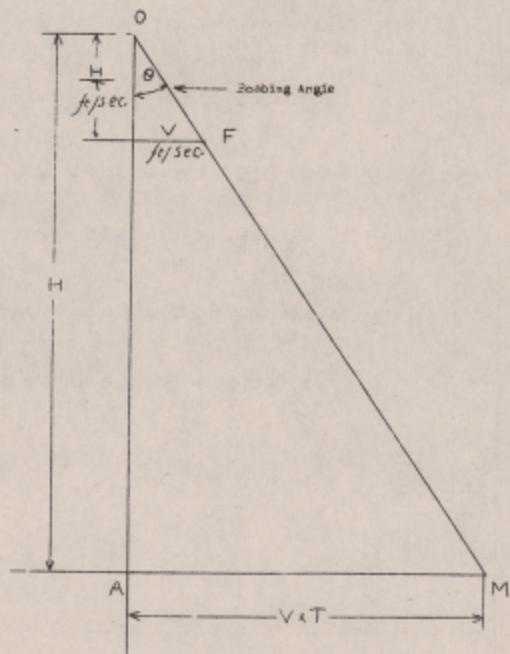
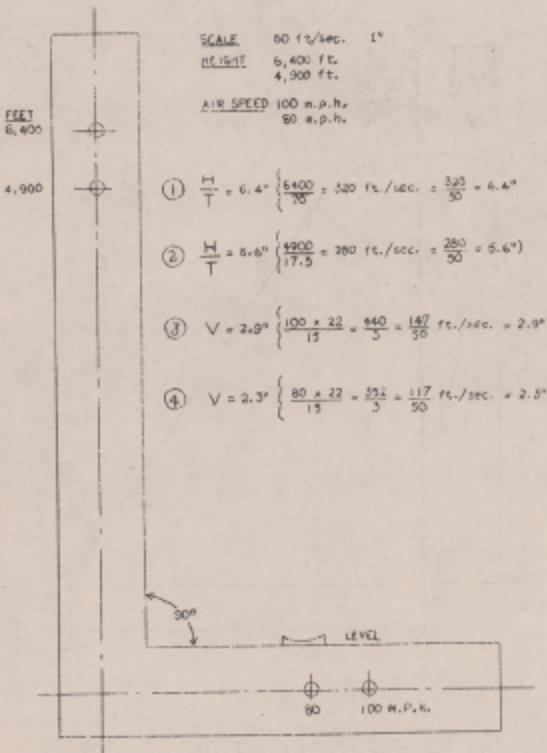


FIG.12 ELEVATION

A SIMPLE BOMBSIGHT.



Perc. 5 (contd.)

Thus a miniature triangle can be placed in the aircraft, which, if provided with fore and aft levels, will serve to give the correct bombing angle.

When, however, we come to graduate these sights so that the fore and back sights can be set for attacks at varying heights and speeds it is found that the horizontal side of the triangle is proportional to the product of two variable V and T. It would be inconvenient to arrive at these two settings in the air.

By graduating the sides of the miniature triangle proportional to speeds instead of distances, a correct bombing angle can be produced of sides $\frac{H}{T}$ ft/sec. (The average speed of fall of the bomb in ft/sec.) and V ft/sec. (the average speed of the aircraft in ft/sec.)

Since both sides have been divided by T and reproduced to some suitable scale - such as 1 inch equals 50 ft/sec., the graduations on the vertical and the horizontal sides are now only dependent on height and air speed respectively.

6. DRIFT ANGLE

Bombing in a Wind with an Ideal Bomb

In fig. II a bomb is released vertically over the point A from an aircraft heading along AB.

During the time of fall the aircraft and the bomb would move forward through the air to M, a distance of VT foot.

There is, however, a wind W ft/sec. blowing in the direction of A - A' over the ground.

Thus, at the moment of impact of the bomb, the column of air through which the aircraft has flown will have moved $U \times T$ ft. to the position A'M'.

The aircraft has therefore tracked over the ground from A to M', and this distance divided by T will give the speed of the aircraft relative to the ground, i.e. Ground Speed.

Thus, AM' equals $G \times T$ foot and a triangle of sides $V \times T$ foot and $G \times T$ foot will include an angle M A M' which is known as the angle of drift. The problem of bombing in a wind is to determine:-

(1) In what direction the aircraft should be headed in order that it will track over the target.

(2) The correct point $G \times T$ foot from the target at which the bomb should be released. In other words to determine the drift and bombing angles.

Provision may now be made accordingly. As it has been decided to graduate the sight in proportion to speeds, we have only to fix the base of the height bar a miniature triangle of velocities A B F proportional to the triangle of distances covered A H M'. Thus the side AB is proportional to the distance AM and will represent the airspeed "V" ft/sec. The side BF is proportional to the distance HM' and will represent the wind speed "W" ft/sec.

/Page 7 - Drg. Drift Angle.

/Page 8 - Drg. Bombing angle in a Wind.

/Page 9 - Perc. 6 (contd.)

BOMBING ANGLE IN A WIND.

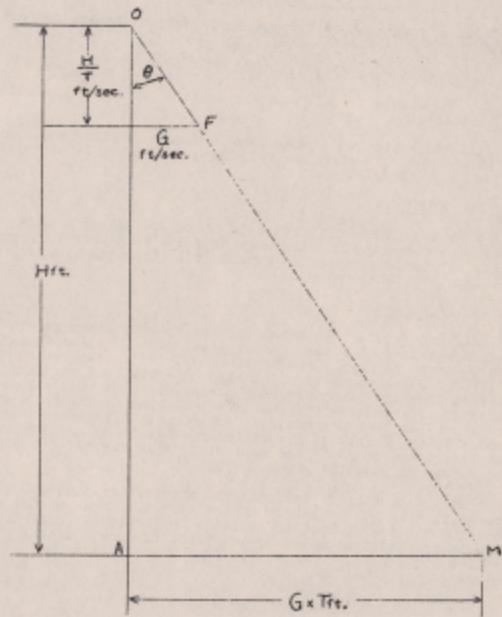


FIG. 3. ELEVATION.

Part. 6 (contd.)

The third side AF will be determined automatically both in length and direction and will be proportional to the distance AM and will represent ground speed "c" ft/sec. and track.

The foresight will be situated at the Point F.

The bombing angle thus produced in a wind is shown in Fig. III.

7. THE EFFECTS OF AIR RESISTANCE

When a real bomb is dropped it is subject to air resistance and will:-

1. Take longer to fall;

2. Be unable to maintain its initial horizontal velocity after release.

Its trajectory will therefore be behind that of an ideal bomb and at any moment during its fall the real bomb will not have fallen as far as the ideal bomb.

8. TIME LAG

Time lag is the difference in times of fall of a real and an ideal bomb dropped simultaneously from the same uniformly moving aircraft. It is denoted by the symbol " t' ". Thus the time of fall of a real bomb is $(T+t')$ seconds.

9. AIR LAG

Air lag is the horizontal distance at any given height between the trajectories of a real and an ideal bomb released simultaneously from the same uniformly moving aircraft. It is denoted by the symbol " l' ". Fig. IV shows the trajectories of a real and an ideal bomb released from the same uniformly moving aircraft when vertically over the point A, and shows the relative positions of the bomb and the aircraft after $T+t'$ seconds. At the moment of impact of the ideal bomb at I, the aircraft is vertically above it at O', but the real bomb is at some point I' and must still fall for " t' " seconds (time lag) before hitting the ground at R.

During the time " t' " seconds the aircraft will move forward through the air a distance of $V \times t'$ feet. Thus, at the moment of impact of the real bomb, the aircraft is vertically over the point M which is $(l+Vt')$ feet ahead of the point of impact of the real bomb, parallel to heading. When viewed from the aircraft the real bomb appears to trail behind.

10. TRAIL ANGLE

Trail Angle is the angle between a vertical dropped from an aircraft and a line from the bomb to the aircraft at any given moment during its fall, assuming that the aircraft is moving at a constant airspeed and direction.

The angle is denoted by symbol λ (Lambda). In work connected with bombing problems it is often necessary to deal with triangles one angle of which is very small.

/Page 10 - Drg. Trail Angle.
/Page 11 - Part. 10 (contd.)

TRAIL ANGLE.

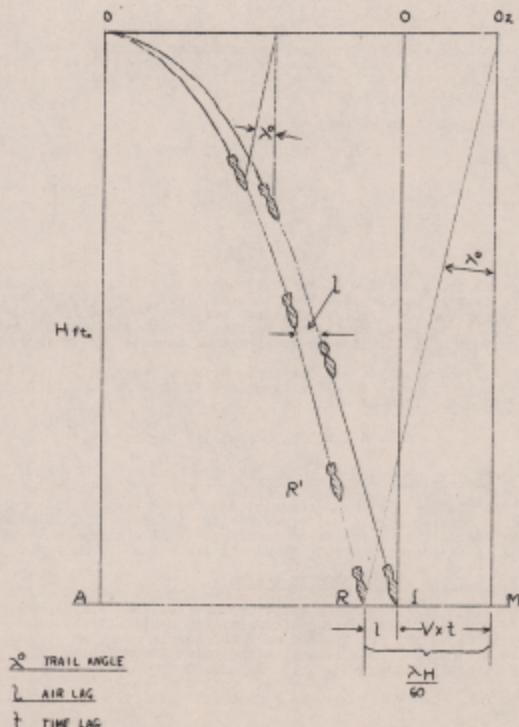
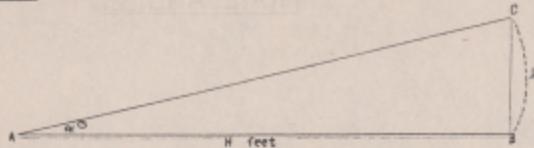


FIG. IV.



It will be seen from the foregoing figure that the chord BC approximates very closely to the arc BDC. The whole circumference of a circle of radius H is given by the formula $2\pi H$ and the arc BDC is to the whole circumference as the angle α is to 360° or $BDC = \frac{\alpha}{360} \cdot 2\pi H$

when α is measured in degrees.

$$\begin{aligned}\text{Hence } BDC &= \frac{\alpha}{360} \times 2 \times H \\ &= \frac{\alpha \cdot H}{180} \\ &= \frac{\alpha \cdot H}{57.3}\end{aligned}$$

In a bombing problem it is required to know length of BC, and since it is very nearly identical in length with the arc BDC, the above expression would give sufficient accurate results for practical purposes. In order to facilitate working the denominator is taken as 60 instead of 57.3. The expression thus becomes $\frac{\alpha \cdot H}{60}$. This approximation for the solution of a triangle with one very small angle will be used where appropriate. For example - if AB were 14,000 ft. and were 20° then the line BC would be

$$\frac{2 \times 14,000}{60} = 467 \text{ foot in length.}$$

11. TRAIL DISTANCE

Trail distance is the horizontal distance a bomb travels behind a vertical dropped from a uniformly moving aircraft. This distance is back along a line parallel to heading. Trail distance = $1 + Vt \tan H^\circ$ or as an approximation A_{60}^{60} and cir lag = $1 = (\Delta VH) - Vt$.

12. DROPPING A REAL BOMB IN A WIND

In Fig. 7 an ideal and a real bomb are released simultaneously from the same uniformly moving aircraft when vertically over the point M , heading along AM . At the end of T seconds it has been previously shown that the ideal bomb landed at the point I vertically under the aircraft tracking along AM' .

The real bomb will now take t further seconds to fall; during this time:

/Page 12 - Drg. Bombing in a Wind with a Real Bomb.
/Page 13 - Para. 12 (1).

BOMBING IN A WIND WITH A REAL
BOMB.

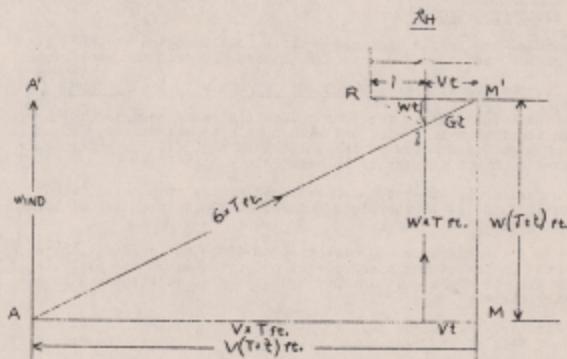


FIG. V. PLAN

Para. 12 (Contd.)

- (1) The aircraft will move through the air a distance of $V \times t$ feet.
- (2) The air and the trajectories will move over the ground a distance of $G \times t$ feet, arriving over M' at the moment of impact of the real bomb at R . The real bomb strikes at R (i.e. $1 - Vt$) feet behind M' parallel to heading. Thus RI the distance the two bombs will fall apart, RI being the third side of a triangle having 1 and WT as its other sides

$$\overline{RI} = \overline{1 + WT}$$

13. GROUNDED LAG

Ground lag is the distance apart a real bomb and an ideal bomb fall on the ground when dropped simultaneously from the same aircraft

14. CONSTRUCTION OF A BACKSIGHT FOR USE WITH A REAL BOMB.

A bombsight has so far been theoretically constructed for dropping an ideal bomb in a wind and with such a bombsight the correct line of sight terminates at the point I in Fig. VI, the point where an ideal bomb would burst if it were released at Point A .

A real bomb, however, when released at the same point, would strike at R and it is therefore necessary to move the line of sight to that point.

Since the distance and direction of RI is not constant, being dependent on the strength and direction of the wind, the alteration of the line of sight must involve two stages of modification to the existing sight.

Firstly, the height bar is graduated proportional to the average speed of fall of the real bomb, i.e., $\frac{H}{(T+t)}$ ft/sec. thus projecting the line of sight to M' which point is vertically beneath the aircraft after $(T+t)$ seconds.

Secondly, since the real bomb trails behind the point M' a distance of $\frac{AB}{60}$ feet parallel to the line of heading, the backsight must be moved forward a proportionate distance in the same direction, bring the backsight vertically over the point B , and thus projecting the line of sight from B through F to A .

This movement of the backsight is effected by tilting the height bar forward about the point A and parallel to the air speed bar. It will be seen that since the length of the height bar is already proportional to the height of the aircraft above the ground, and the distance RM' is subtended by the trail angle α° then, if the height bar can be tilted forward through α° the distance AB will be proportional to RM' .

/Page 14 - Drg. Construction of a B/Sight
for use with a real bomb. (Elevation).
/Page 15 - As above (Plan).
/Page 16 - Para. 15.

CONSTRUCTION OF A BOMB-SIGHT
FOR USE WITH A REAL BOMB

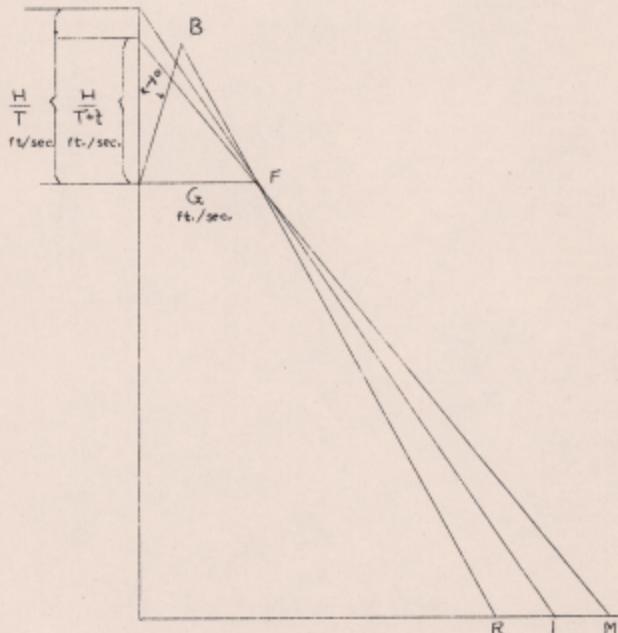


FIG. VI. ELEVATION

CONSTRUCTION OF A BOMB-SIGHT
FOR USE WITH A REAL BOMB.

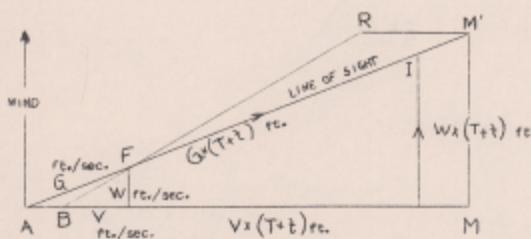


FIG. VI. PLAN.

15. PRACTICABILITY OF BOMBS

We have now constructed a bomb sight for use with a real bomb; this construction consisted of modifying the sight, as used for an ideal bomb, by re-graduating the height bar so as to incorporate "t" and by tilting the height bar so as to incorporate Δ . It has already been shown that the time lag " t ", the air lag " L ", the ground lag and the trail angle Δ are inter-related. Since these values are dependent on air resistance it follows that the air speed at the moment of release, the height of release and the mass and shape of the particular bomb will alter them. Thus, it is necessary for each type of bomb and for each aircraft to place different settings on the sight. On the old type bomb sights an average time of fall of all real bombs was taken and one height bar graduated to this scale was fitted; a trail angle setting was provided and from a table the correct trail angle for each bomb at a number of different heights and air speeds could be ascertained and set on the bomb sight. This system had been improved upon in modern bomb sights, however, by the use of a single setting for the terminal velocity of the bomb, inter-connected with the air speed setting in such a way as to give the correct trail angle. Separate height scales are also issued for each type of bomb and can be clipped into position on the height bar.

The connection between trail angle and terminal velocity may not be apparent and is explained hereunder. When a real bomb falls it is as we have seen, subject to air resistance. Now the air resistance against a body which is travelling at a speed below the speed of sound, increases as the square of its own velocity. If this body is a bomb subject to the initial velocity of the aircraft, plus an acceleration of 32 ft/sec² due to gravity, then as the bomb's speed increases, the air resistance will increase as the square of its speed until a point is reached when the effect of air resistance will balance the forces of the acceleration due to gravity and the bomb will travel at a uniform speed. This is known as the terminal velocity, and is related to the ballistic characteristics of the bomb through the common factor of air resistance. Thus a bomb of good shape and smooth surface will have little air resistance, its T.V. will consequently be high, and its trail angle, air lag and time lag will be low.

A glance at the height scales for a bomb sight will show that a number of bombs are labelled as having a T.V. above the speed of sound (i.e. above 100 ft/sec). Unfortunately, the air resistance on a body travelling above the speed of sound does not follow the simple square law that is true for speeds below 1,100 ft/sec. It does in fact, become so complicated as to make calculation impracticable and the true T.V. of these bombs cannot be worked out. These bombs are therefore assumed to be subject to an air resistance equal to the square of their velocity throughout their fall. The T.V. so obtained is fictitious, but it nevertheless is a true indication of the ballistic qualities of the bomb and as such is used for sighting purposes.

16. THE CONSTRUCTION OF A FOURTH VECTOR SIGHT

(a) When bombing a moving target an allowance must be made for the distance the target will move during the time taken for the bomb to fall. It is also necessary to adjust the drift wires so that the line of approach of aircraft and moving target is indicated.

16. THE CONSTRUCTION OF A FOURTH VECTOR SIGHT (Contd.)

(b) It has been shown that the ground velocity is the resultant of air velocity and wind velocity. Similarly the velocity of approach is the resultant of the velocity of the aircraft over the ground and the velocity of the target over the ground. In Fig. I, the triangle ABC represents the three vector bomb sight and the line XY represents the enemy velocity. In order to build up a vector diagram it is necessary to consider all velocities relative to one object. Let us take the aircraft as our object, and stop the ship, then in order to get the same relative velocity between ship and aircraft we must apply to the aircraft the ship's velocity reversed. Thus, in building up the vector diagram, ED (the ship's velocity reversed) is added. Now if we join AD it will represent the resultant or the speed of approach of the aircraft and ship. Fig. IA shows the construction of the diagram when the ship's velocity is YA. Now if AB is the airspeed bar, BE the wind speed bar and AE the ground speed bar or drift wires on 3 vector sight, then it will be necessary to add a 4th bar ED to the end of the wind speed bar, capable of rotation through 360° and of adjustment to a length proportional to the ship's or enemy's speed. If the foresight is carried at D and the drift wires are also connected to this point instead of to the point E, then ED becomes the enemy speed bar and AD the speed of approach bar - or the drift wires. Such a sight was constructed and is shown in the photograph Fig. IB.

The mechanical disadvantages of this sight are obvious. It can be seen from Fig. II, however, that the same approach velocity can be reproduced if, instead of moving the foresight by mounting the enemy speed bar at E, we move the backsight in the opposite direction BY MOUNTING THE ENEMY SPEED BAR AT A and move the height bar and the rear anchorage of the drift wires. Incidentally, as we have to move the backsight in the opposite direction, the enemy speed bar is now in the same direction as the movement of the target. Fig. III.A shows the same construction as Fig. II with enemy speed in the opposite direction. The photograph Fig. III.B shows how the GSBS now in use takes up the position of the diagram, Fig. II.

(c) The bombing angle for an Ideal Bomb and Moving Target will be included in a triangle of sides H feet and $S \times T$ feet (where S is the speed of approach in ft/sec). This is shown in plan Fig. III and elevation Fig. IV. If an Ideal Bomb is released vertically over the point F, Fig. III, from an aircraft tracking PI, it will strike at the point I a distance of $(G \times T)$ feet from F. In order to register a hit, the target at the moment of release must be at E, a distance of $(S \times T)$ feet from I, and of $(S \times T)$ feet from F.

/Page 18 - Drg. The construction of a 4th Vector Sight, Fig. I.

/Page 19 - As above, Fig. II and Fig. III.A.

/Page 20 - Para. 16 (contd.)

THE CONSTRUCTION OF A FOURTH VECTOR SIGHT.

FIG. I.

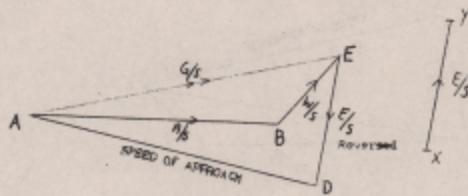
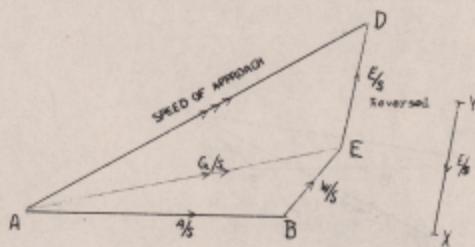


FIG. II.



THE CONSTRUCTION OF A FOURTH VECTOR SIGHT.

FIG. II.

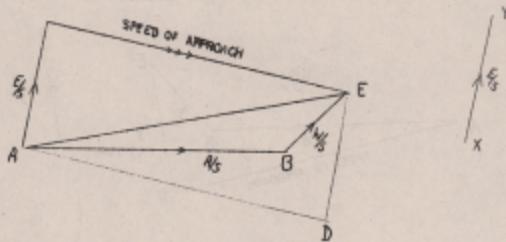
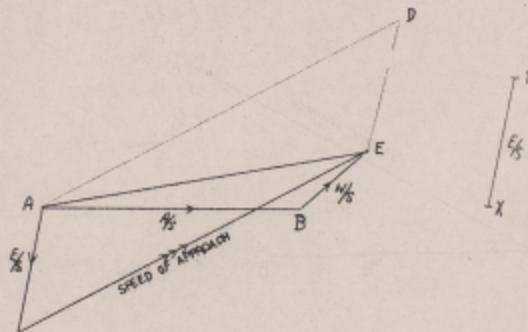


FIG. II.A.



Pars. 16 (Contd.)

(d) The construction of a bombsight for a reel bomb and moving target is shown in Fig. V. A real bomb is released vertically over the point F from an aircraft tracking P' M'. Assuming that the aircraft maintains a constant velocity it will arrive at the point N' at the moment of impact of the bomb at R. A target moving along Z' W' must be at the position Z' ($Z \times T + t$) feet from N' and $S \times (T + t)$ feet from F at the moment of impact. The point Z' therefore represents the termination of a line of sight with a height bar at L' graduated to a velocity scale of $\frac{H}{T}$ ft/sec., but with a zero trail angle setting. With a

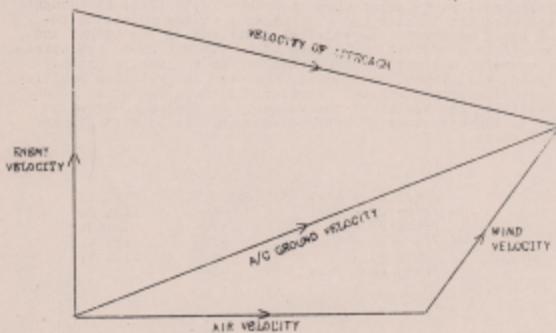
height bar tilted forward λ^o parallel to the air speed bar (position B') the line of sight is moved from E' to E, a distance equivalent to, and parallel to the trail distance, N' R. A target at Z' at the moment of release will therefore move a distance of $Z \times (T + t)$ feet along Z R and arrive at R at the moment of impact.

NOTE

Misconception may arise when studying Fig. V if it is thought since the aircraft is at F and the target E at the moment of release, F and E represent the relative positions of the target and the aircraft at a particular instant of time. The speed and direction of approach are entirely governed by the respective ground velocity and will remain unaffected, whatever the relative position of target and aircraft may be. Further, if the speed of approach (A'F) is a true vector of the velocity of approach, it will be parallel to the direction of approach whether viewed from A'B or any other point.

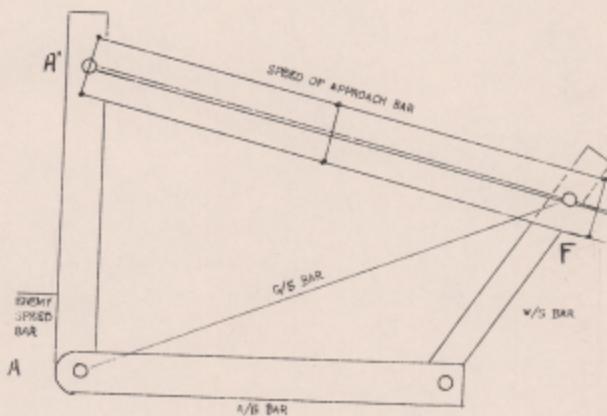
/Page 21 -	Lrg. Aith Vector Sight,	Fig. 1.
/Page 22 -	Drg.	-do-
/Page 23 -		Fig. 2.
/24 24 -		-do-
/Page 25 -		Fig. 3.
/Page 26 -		-do-
/Page 26	Pars. 17.	-do-

FIG.1. VECTOR DIAGRAM



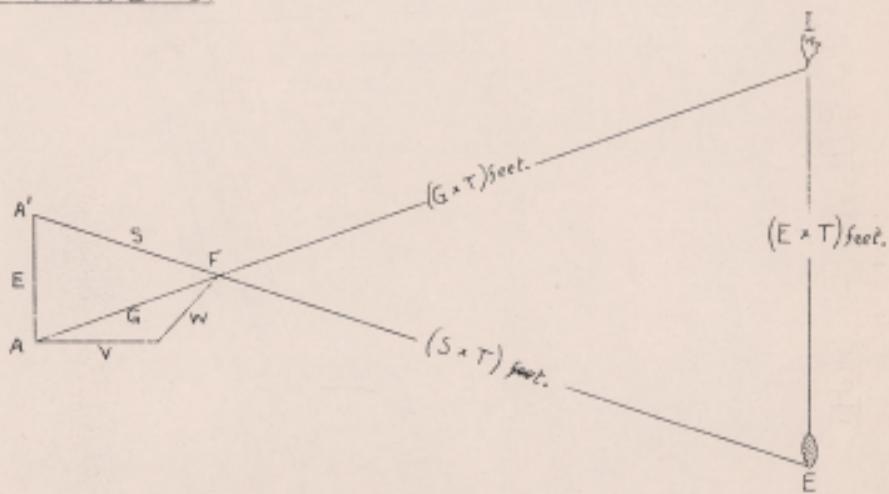
FOURTH VECTOR SIGHT.

FIG. 2. SPEED BARS.



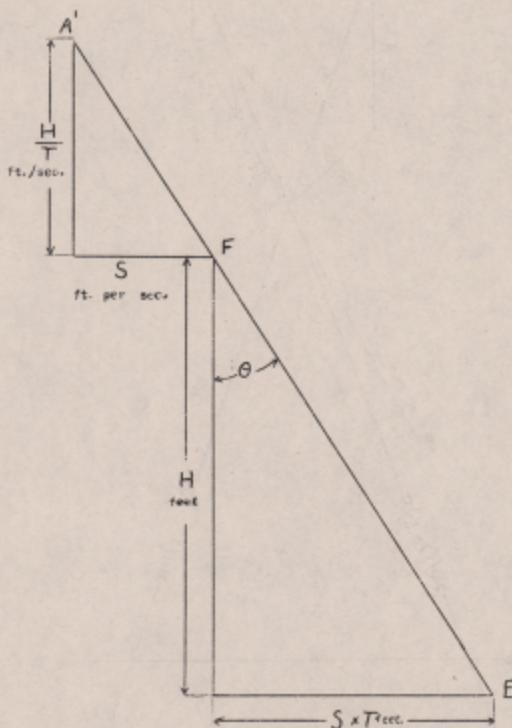
FOURTH VECTOR SIGHT.

FIG. 3. IDEAL BOMB.



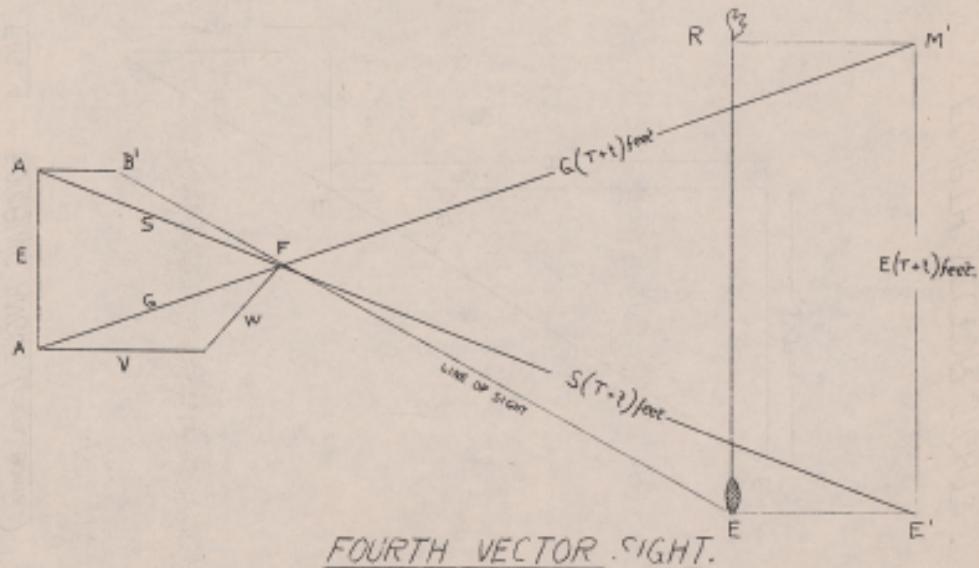
FOURTH VECTOR SIGHT.

FIG. 4. BOMBING ANGLE (IDEAL BOMB.)



FOURTH VECTOR SIGHT.

FIG. 5. REAL BOMB



FOURTH VECTOR SIGHT.

AZIMUTH BRACKET

1. The azimuth bracket and steering indicator has been introduced for use with the course setting bomb sight, Mk.VII and IX, to enable the pilot of a bombing aeroplane to make use of banked turns in a bombing approach. The main advantage of the azimuth bracket is that long, straight approaches are unnecessary and major turns may be made within 40 seconds of the instant of bomb release. This means that the aeroplane is only flying on a straight course, suitable for anti-aircraft flying prediction, for about 20 seconds, with consequent decrease in vulnerability to anti-aircraft fire. The bracket has no definite advantage over the fixed sight if long, straight approaches are made. In addition, a rapid change of course 70 to 30° may be made by a banked turn, when conditions of bad visibility occasions a late identification of the target.

DESCRIPTION

2. AZIMUTH BRACKET (See Fig. 1.)

The azimuth bracket consists of a main frame (1), in which a bombsight spigot (2) is pivoted about a vertical axis and is capable of rotation in azimuth, 30° left or right of a central zero, by relative movement of the bombsight. A pointer (3) attached to the vertical spindle (4), indicates on a scale (5), attached to the main frame. If an aeroplane has to be turned to pass over an objective, the actual angle measured at the start of the turn will be less than the final total change of course, due to the fact that the aeroplane cannot turn instantaneously, but must turn on a path of appreciable radius. If, therefore, the magnitude of the turn, as indicated by the azimuth bracket is slightly greater than the actual angle measured at the start of the turn, a close approximation to the total turn required is obtained. It is found, in practice, that the total turn required is about 1.2 times the actual angle measured at the start of the turn, and the scale (7) (Fig.3.) has been calibrated in accordance with this rule. The bombsight spigot is clamped to a transmitter (6) which actuates a steering indicator described below. A clutch is provided whereby the stiffness of the spigot rotation in azimuth may be adjusted and is controlled by the knob (7). Rotation of the spigot in azimuth from the central position is normally prevented by a spring lever (8), when it is required to rotate the course setting bomb-sight in azimuth to determine the angular offset of the target. The lever (8) may be maintained in the depressed position by a thumb-operated lever and locking pin on the side of the bracket. On releasing the locking pin, the course setting bombsight is automatically secured in the central position when the spring-locked latch registers with the groove. The levelling adjustments are similar to those of the standard course setting bombsight levelling bracket and are controlled by the levelling screws (9) and (10). The lateral levelling screw (9) has a spring loaded handle which enables the handle to be positioned to give an unobstructed view of the scale without disturbing the lateral levelling of the bombsight.

3. STEERING INDICATOR

The steering indicator (Fig. III) is an electro-magnetic device, which, in conjunction with the transmitter incorporated in the bracket, actuates a pointer (11) moving over a scale (12). The scale is calibrated and figured 30° left and right to coincide with the bracket scale readings. The indicator is designed so that in the event of a supply failure or when the supply is not

3. (contd.)

switched on, the pointer leaves the calibrated portion of the scale and points vertically downwards. Two lamps, behind red and green windows (11), are contained in the indicator and work in conjunction with the switch described in Para. 4. The lamps are readily replaceable in the event of failure, the lamp retaining plate being secured by a milled screw.

4. SWITCH

4. The switch (Fig. II) consists of two push buttons (14) coloured red and green respectively, arranged with a guard plate (15), in such a manner that the bomb-simer may distinguish by touch only, which one to depress.

5. RESISTANCE UNITS

The equipment is normally for use with a 12 volt supply. When the equipment is to be used with a 24 volt supply, suitable resistance units must be inserted in the installation wiring. This must be done by signals personnel.

6. INSTALLATION

The zenith bracket is interchangeable with the standard course setting bombsight levelling bracket. The alignment of the bombsight with the fore axis of the aeroplane should be checked with the bombsight set at zero drift and the pointer on the bracket registered in the zero position. Any necessary adjustment of installation should be made by the method normally employed when using a standard course setting bombsight levelling bracket.

7. PROCEDURE FOR USE.

- (a) The bomb-simer ensures that the bombsight spigot is located in the central position, and makes all the usual settings on the sight.
- (b) As soon as the target is located, he switches on the electrical supply, disengages the lower (8) and rotates the bombsight in azimuth until the drift wires are on the target with RRD set on RED.
- (c) The bomb-simer depresses the red and green push-buttons (11) simultaneously to illuminate the lights on the steering indicator. The indicator shows the angle of turn required, while the illumination of the lamp is the executive signal to the pilot to start the turn. The minimum possible time should elapse between the measurement of the angle and the executive signal.
- (d) The pilot banks and turns the aeroplane through the angle indicated on his steering indicator by his directional gyro.
- (e) During the turn, the bomb-simer centralizes the sight. There is no need to re-set RRD on RED as this has previously been done. (See Para. 7 (b)). On completing the turn, he should find the target on or near the drift wires with RRD still on RED. The locking lever will engage itself automatically when the sight is centralized.

7.(contd.)

- (f) If subsequent small corrections are required, flat turning technique can be used. Steering corrections can be given on the steering indicator by ~~red~~ of green lights. Bombing groups should devise a simple code of lights to indicate the magnitude of ~~versus~~ of the correction.
- (g) If, after the first banked turn, the required correction is of such a magnitude that flat turning technique cannot be used, the procedure outlined in Para's. (b), (c) and (d) should be repeated. However, if the azimuth bracket and bombheight is used correctly there should be no reason for a major correction at this point.
- (h) The bomb-slayer releases the bomb in the usual way when the target reaches the line of sight through the backsight and foresight.

NOTE

As an alternative to, or in the event of a failure in the steering indicator, the bomb-slayer can transmit verbally to the pilot the angle of turn required, after reading its magnitude on the scale (5). Other steering corrections may be relayed in similar fashion as for normal bombing.

DESCRIPTION OF THE MK.IX G.S.B.S.

There are two types:

Type	Height range	I/G range	W/S range	"Empty" speed range	Range
Mk.IX.A	3000' to 20,000'	100 - 240 MPH	0 - 70 MPH	0 - 50 knots.	
Mk.IX.C.	3000' to 20,000'	87 - 208 knots.	0 - 60 knots.	0 - 50 knots.	

They are similar in most respects to the Mk.VII, but possess an extended range in speed settings to allow for the increased speeds of modern aircraft. To obviate any corresponding increase in the size of the bombsight, the scale of the speed and height bars has been reduced.

In addition to the extended range of speed, provision has also been made to facilitate the determination of Wind Speed and Direction by the incorporation of an Auxiliary Drift Bar and a Calibrated Wind Gauge Bar. A vertical extension to the drift wires also enables early corrections to be made at the commencement of a bombing run, and obviates the necessity for a longer drift bar.

For the purpose of description, the bombsight will be considered in three groups:

- (a) The body, compass and internal mechanism.
- (b) The height bar, empty speed attachment and calibrated wind gauge bar.
- (c) The air, ground and wind speed bars and auxiliary drift bar.

Key To Photographs of C.S.B.S. & Azimuth Bracket

1.	Drift wire beads.	26	Enemy Speed Bar.
2.	Drift Wires	27	Height Bar Slider
3.	Drift Bar	28	Height Bar Catch
4.	Foresights	29	Height Bar Knob
5.	Ground Speed Slider	30	Height Bar
6.	Wind Speed Bar	31	Height Bar Timing Scale (Red)
7.	Wind Speed Knob	32	Backsights
8.	Air Speed Bar	33	Enemy Direction Arrow
9.	Enemy Speed Bar	34	Enemy Direction Ring
10.	Trail Setting Stop	35	Auxiliary Drift Bar
11.	Enemy Direction Knob	36	Auxiliary Drift Wire
12.	Air Speed Drum	37	Auxiliary Drift Bar Pointer
13.	Air Speed Knob	38	Auxiliary Drift Scale
14.	Terminal Velocity Lever	39	Spigot
15.	Terminal Velocity Scale	40	Slots For Positioning Lugs
16.	Bombsight Catch Knob	41	Pointer
17.	Terminal Velocity Knob	42	Locking Lever
18.	Drift Scale	43	Locking Pin
19.	Wind Arrow	44	Latch
20.	Bearing Plate Clamp Lever	45	Clutch
21.	Compass Bowl Knob	46	Lateral Levelling Control
22.	Bearing Plate	47	Scale
23.	Wind Gauge Bar	48	Fore & Aft Levelling Control
24.	Cursor	49	Steering Indicator
25.	Spirit Levels		

